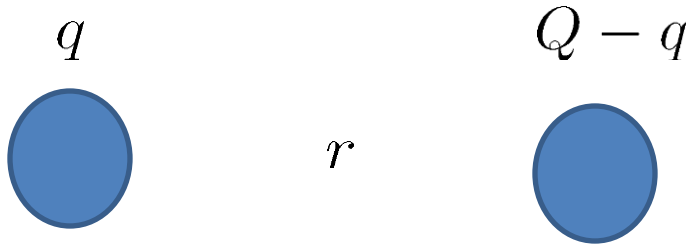


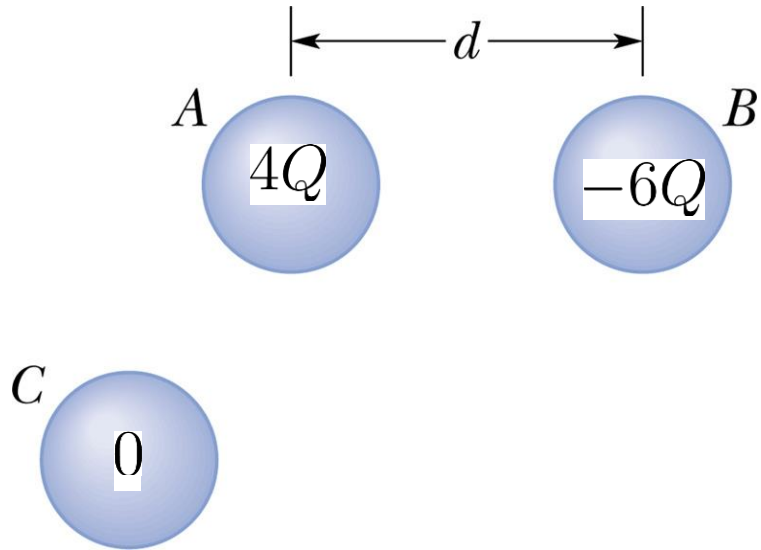
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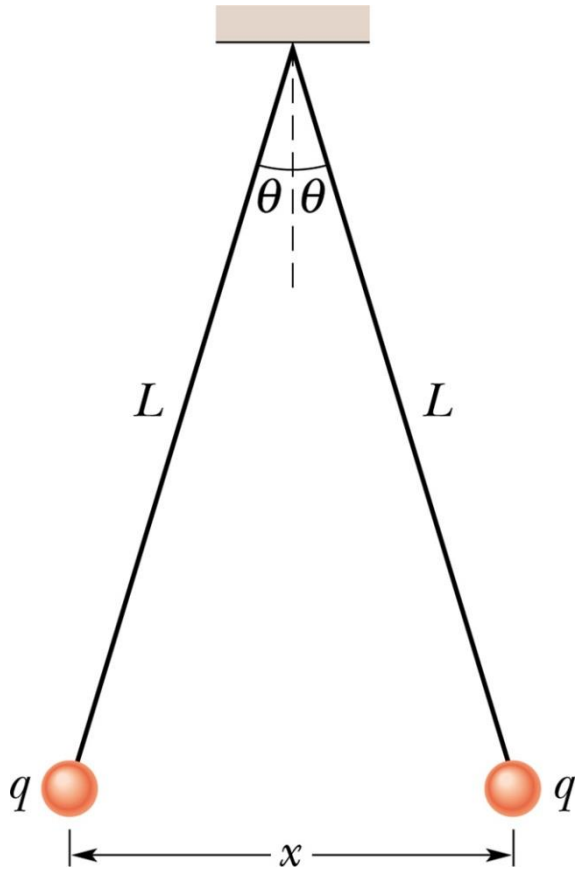
# Problem 1



# Problem 2



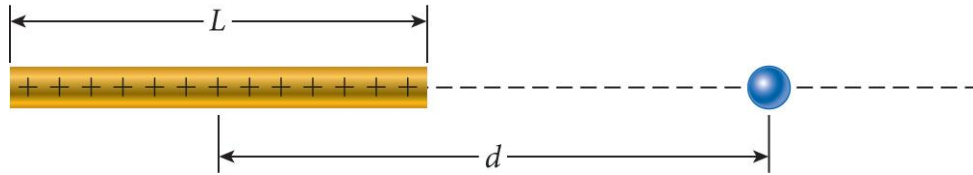
# Problem 3



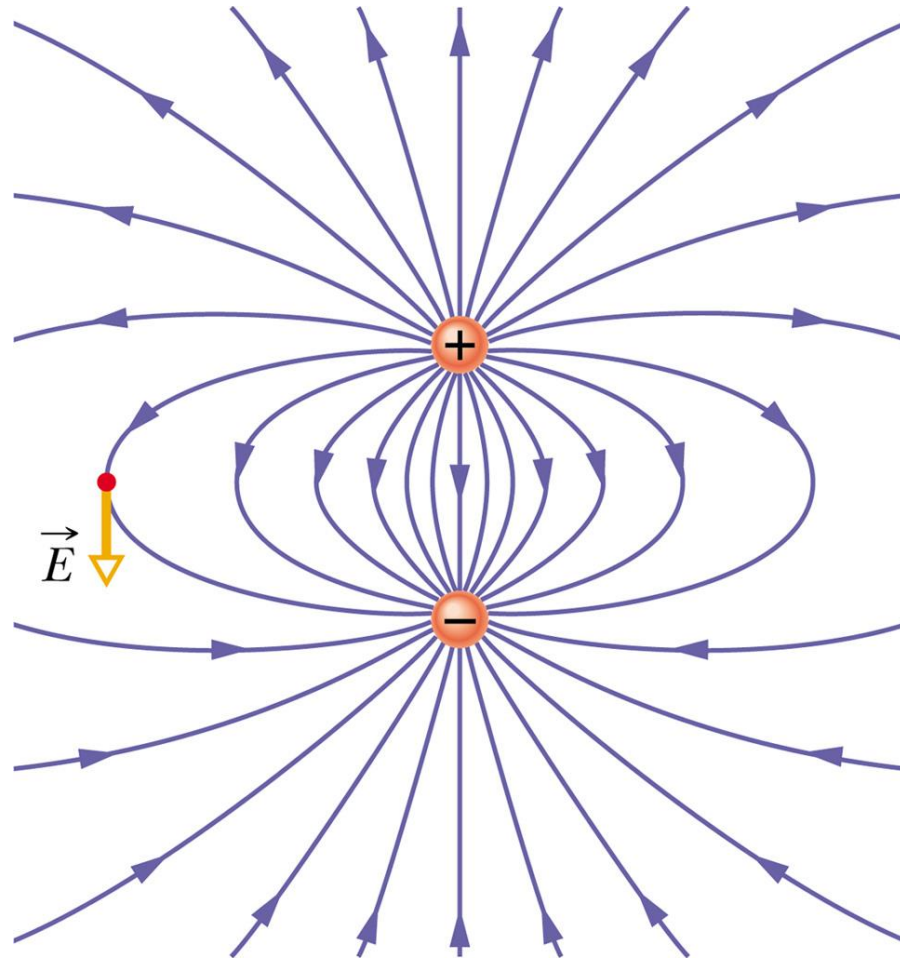
$$x = \left( \frac{q^2 L}{2\pi\epsilon_0 m g} \right)^{1/3}$$

# Problem 4 (21.52)

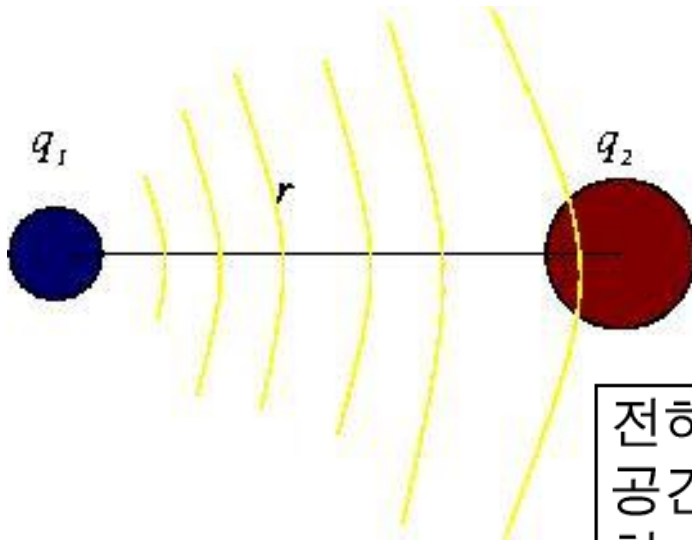
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# Chap. 22 Electric fields and Gauss' law



# What is electric field?



$$\mathbf{F}_{21} = \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r^2} \hat{\mathbf{r}}$$

How can separate charges exert force on the other?

전하  $q_1$ 은 전하  $q_2$ 가 있는 곳을 포함한 모든 공간에 전기장  $\mathbf{E}$ 를 만든다. 이 전기장이 전하  $q_2$ 에 힘을 준다.  
→ *action at a distance*

(정보의 전달속도는 광속보다 빠를 수 없다.)

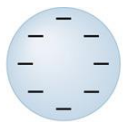
$$\mathbf{E} = \frac{\mathbf{F}}{q_0}, \quad q_0 : (\text{시험전하 (test charge)})$$

$\mathbf{E}$ 의 SI 단위:  $N/C$

# Electric field lines

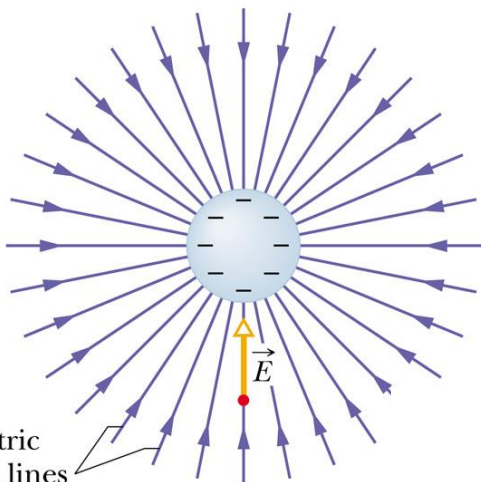
- 1) Field line은 +전하에서 나오고 -전하로 들어간다.
- 2) Field line에 접선방향이 electric field 방향이다.
- 3) 서로 교차하지 않는다. (electric field는 한 점에서 한 값을 갖는다.)
- 4) 힘의 크기는 field line의 밀도에 비례
  - ※ field line의 밀도: 단위면적을 뚫고 지나가는 field line의 수





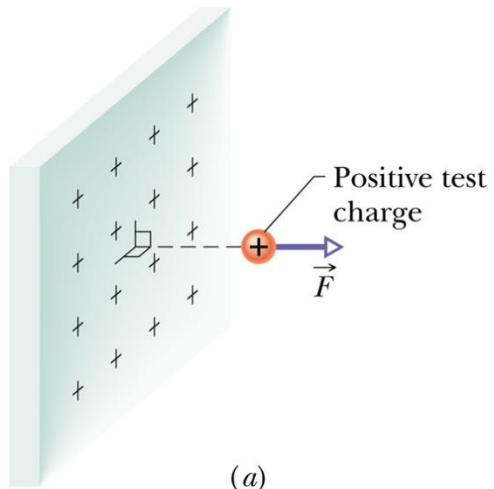
$\vec{F}$   
+ Positive test charge

(a)

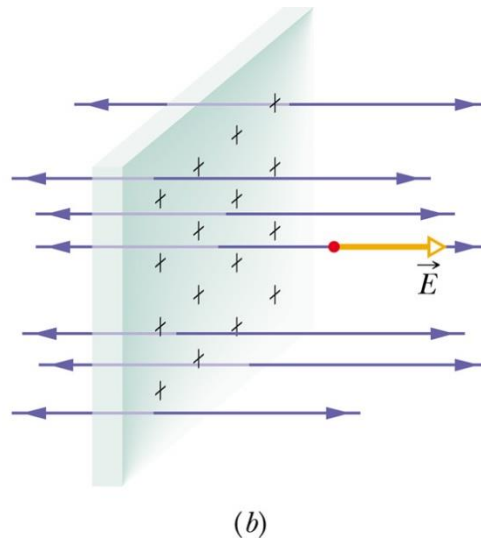


Electric field lines

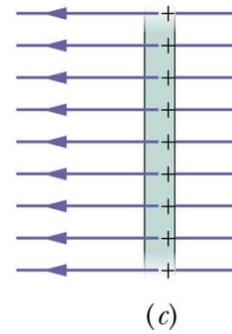
(b)



(a)

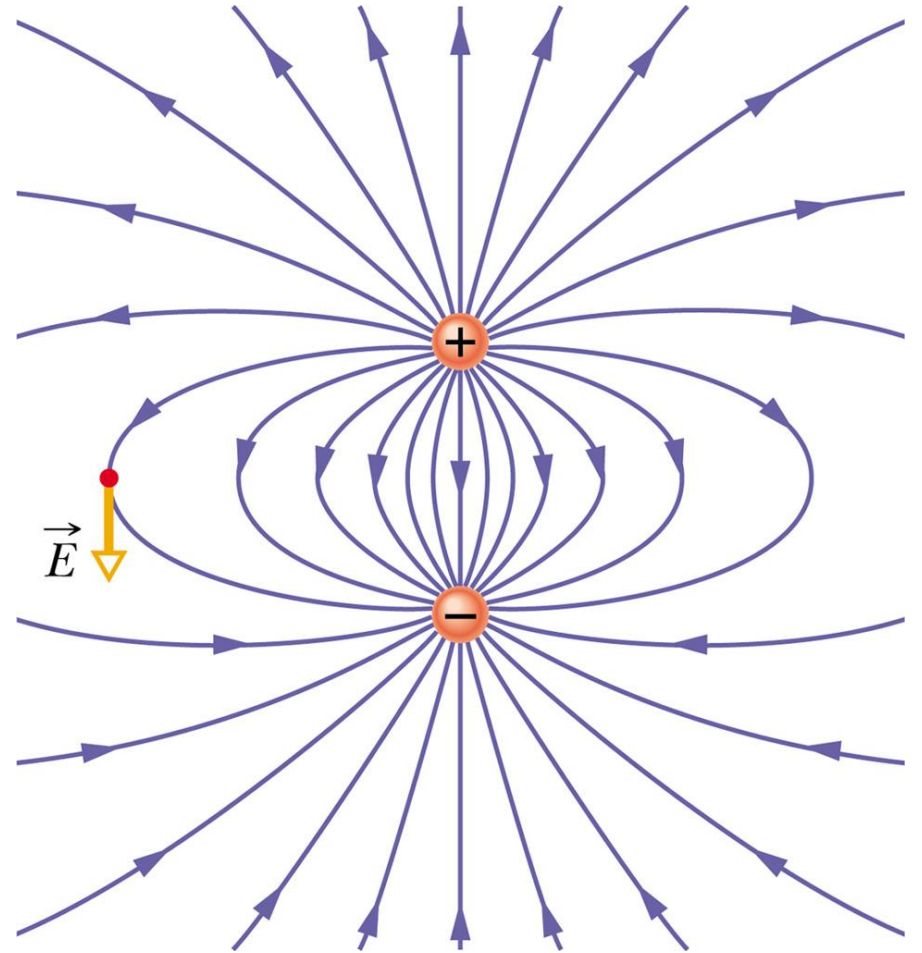
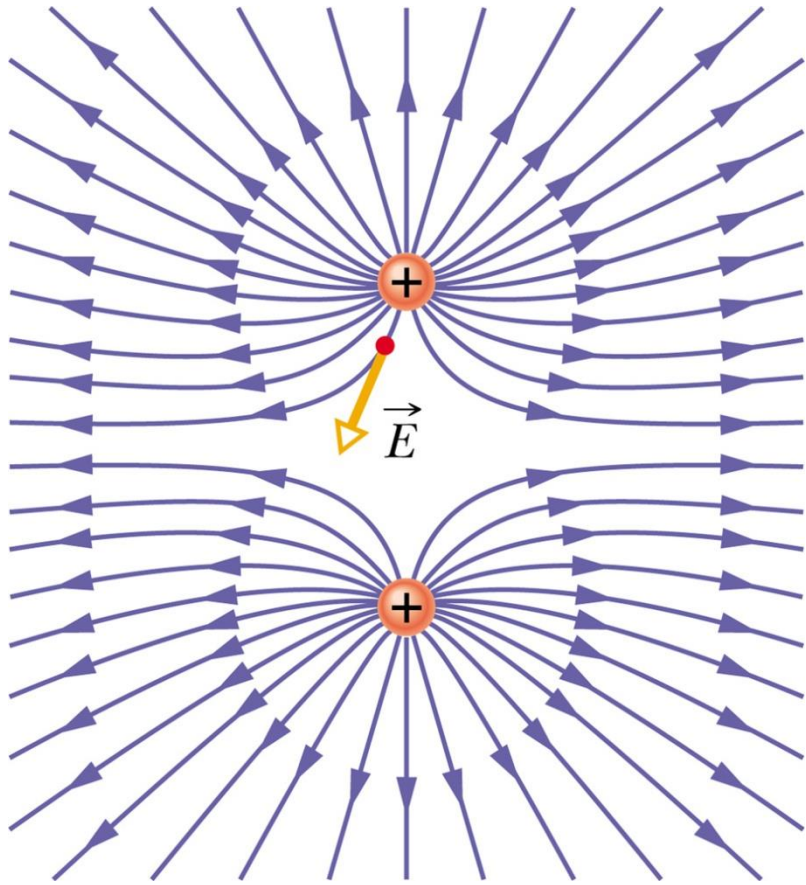


(b)

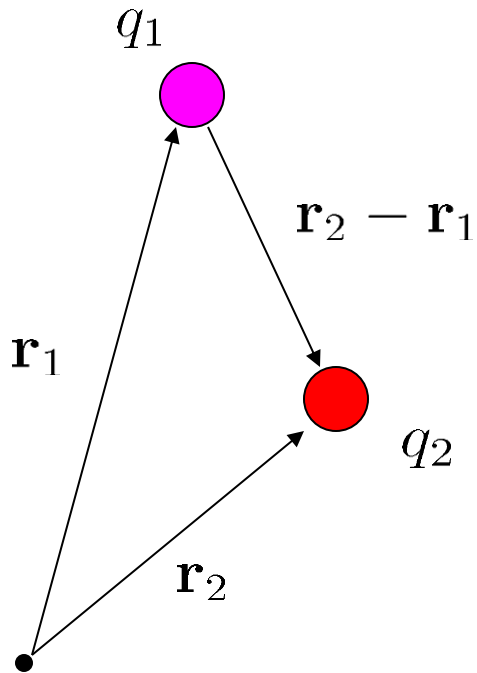


(c)

# Electric dipole



# $q_1$ 에 의한 $r_2$ 에서의 electric field



$$\mathbf{E}(\mathbf{r}_2) = \frac{\mathbf{F}(2 \leftarrow 1)}{q_2} = \frac{1}{4\pi\epsilon_0} \frac{q_1(\mathbf{r}_2 - \mathbf{r}_1)}{|\mathbf{r}_2 - \mathbf{r}_1|^3}$$

# Computation of the electric field $\mathbf{E}$

1) Point charge  $q$

$$\mathbf{E} = \frac{1}{4\pi\epsilon_0} \frac{q}{|\mathbf{r}|^2} \hat{\mathbf{r}}$$

2) Many point charges

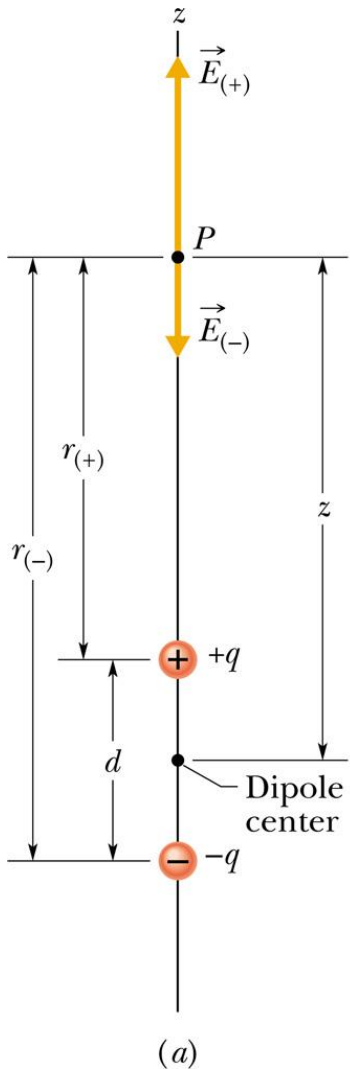
$$\mathbf{E} = \frac{1}{4\pi\epsilon_0} \sum_i \frac{q_i \hat{\mathbf{r}}_i}{|\mathbf{r}_i|^2}$$

3) Continuous charge

$$\mathbf{E} = \frac{1}{4\pi\epsilon_0} \int \frac{dq \hat{\mathbf{r}}}{|\mathbf{r}|^2}$$

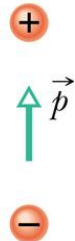
Principle of superposition

# electric dipole



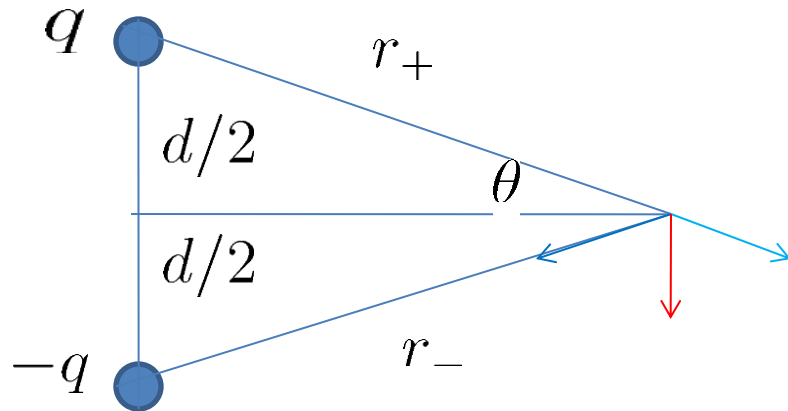
Electric dipole moment

$$\mathbf{p} = q\mathbf{d}$$

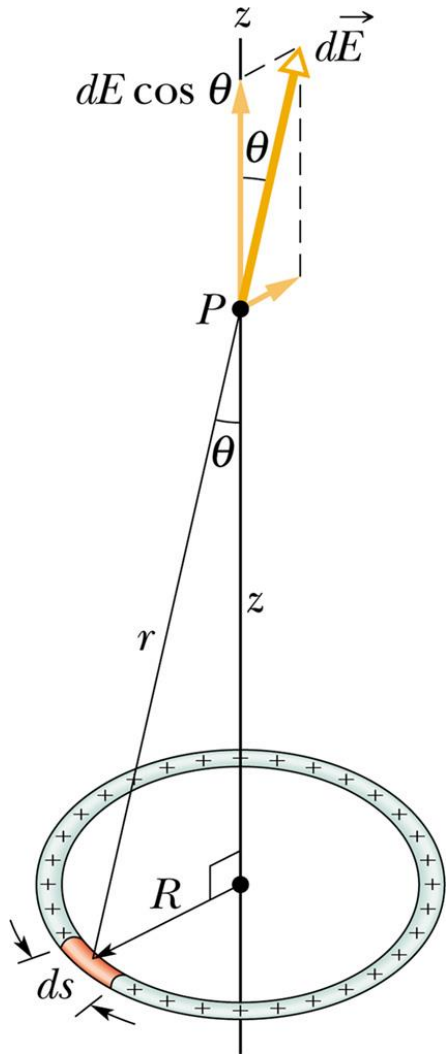


$$E = E_{(+)} - E_{(-)} = \frac{q}{4\pi\epsilon_0 z^2} \frac{2d}{z} = \frac{1}{2\pi\epsilon_0} \frac{qd}{z^3}$$

# Electric field normal to the electric dipole moment

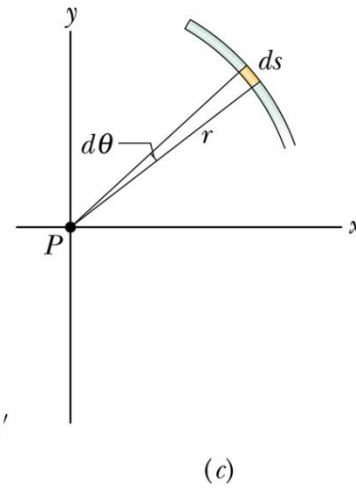
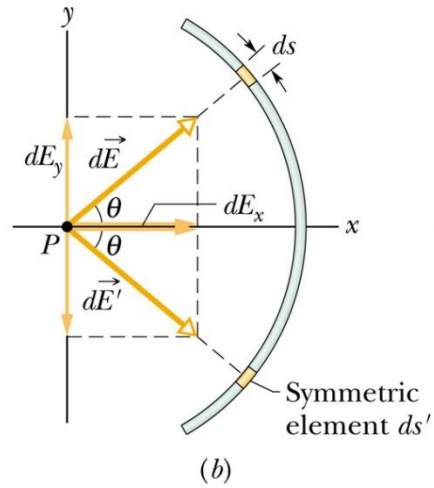
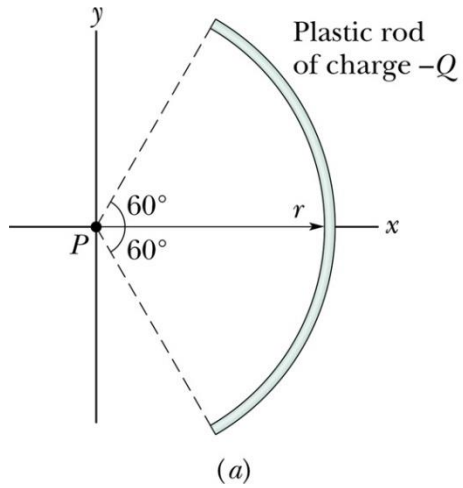


# Charged ring



$$E = \frac{qz}{4\pi\epsilon_0(z^2 + R^2)^{3/2}}$$

# Problem 1: charged arc





Electric field due to an infinite line of charge

